Introduction	Statistical model	Some results	Conclusion/Future plans
S	SPA - Pilot data bas	ed sensitivity a	nalysis for
	high-dime	ensional data	
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Center for Human and Clinical Genetics Leiden University Medical Center

November 16, 2010

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3

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What is the appropriate sample size for an experiment?

- sample variability
- effect size
- proportion of features of interest

Basically two ways:

- simulation study
- pilot data

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- all estimators are based on p-values or test statistics, the assumption is either normal or Student's t
- currently under development moderated t (limma) and nonparametric approach

# implementation of the deconvolution

mixture representation for the test statistics:

$$f(x) = \pi_0 f_0(x) + (1 - \pi_0) \int_{-\infty}^{+\infty} f_0(x - \theta \sqrt{N}) \lambda(\theta) d\theta \qquad (1)$$

deconvolution estimator:

$$\hat{\lambda}(\theta) = \frac{\sqrt{N}}{2\pi} \int_{-\infty}^{+\infty} e^{-it\theta\sqrt{N}} \chi_{\mathcal{K}}(at) \frac{\hat{\chi}_h(t)}{\chi_{f_0}}(t) dt, \qquad (2)$$

related to density using fft and massdist a C-function from the package *stats*.

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# Estimation of $\pi_0$



On simulated data using method by Langaas et al. (2005).

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### Estimation of density of effect sizes



Nutrigenomics experiment: using different compounds and exprosure times (van Iterson *et al.* (2009)).

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#### Power curves



Different expression profiling platforms were compared (van Iterson *et al.* (2009)).

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Conclusion:

pilot data-based power and sample size analysis

Future plans:

- moderated t (limma) should be more suitable for small sample sizes
- nonparametric approach, main difficulty nonparametric null; bootstrap high-dimensional data with small sample sizes

M. van Iterson *et al.* Relative power and sample size analysis on gene expression profiling data. (2009), BMC Genomics, **10**.

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